

# Calculus, PreCalculus and Logic Symbols



$<$	less than	$\alpha$	alpha
$>$	greater than	$\beta$	beta
$\wedge$	and	$\gamma$	gamma
$\vee$	or	$\delta$	delta
$\leq, \not>$	less than or equal to	$\varepsilon$	epsilon
$\geq, \not<$	greater than or equal to	$\zeta$	zeta
$\forall$	for all, for each, for every, for any	$\eta$	eta
$\exists$	there exists	$\theta$	theta
$!$	exactly, or factorial (two meanings for the same symbol)	$\iota$	iota
$\ni, :$	such that	$\kappa$	kappa
$\in$	is an element of	$\lambda$	lambda
$*$	multiplication if between symbols, contradiction if at the end of a statement	$\mu$	mu
$\sim$	not	$\nu$	nu
$\square$	Q.E.D.. quod erat demonstrandum, which was to be shown nor demonstrated	$\chi$	xi
$\infty$	infinity, to increase without bound	$\omicron$	omicron
$\rightarrow$	implies that, forces, then	$\pi$	pi
$\leftrightarrow$	iff, if and only if, bijection	$\rho$	rho
$\therefore$	therefore	$\sigma$	sigma
$\circ$	functional composition	$\tau$	tau
$\neq$	not equal to	$\upsilon$	upsilon
$\approx$	approximately equals	$\phi, \varphi$	phi
$\dots$	ellipsis, continue similarly	$\chi$	chi
$\aleph_0$	alef naught, the cardinality of the natural numbers	$\psi$	psi
$\emptyset$	empty set, undefined, does <b>NOT</b> mean zero	$\omega$	omega
$\cap$	intersection		
$\cup$	union		
$\sqrt{\quad}$	radical, root		
$\mathbb{N}$	set of natural numbers	$\sim\mathbb{Q}$	set of irrational numbers
$\mathbb{Z}$	set of integer numbers	$\mathbb{R}$	set of real numbers
$\mathbb{Q}$	set of rational numbers	$\mathbb{C}$	set of complex numbers

**Baldwin**